## Optimal Kinodynamic Planning for Compliant Mobile Manipulators

Katie Byl UC Santa Barbara

# On Optimal Kinodynamic Planning for Compliant Mobile Manipulators

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#### Overview

- What should be optimized
  - Robots have stepped outside factory environments
  - Challenges and goals in robotics have changed
- Scalar metrics and their estimation
  - How to judge overall task performance
  - How to estimate low-level performance
- Tools for policy improvement
  - On-going challenges in machine learning

#### Overview

- What should be optimized : Reliability
  - Robots have stepped outside factory environments
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## Kinodynamic Planning

- Kinematics: geometric constraints
  - feasible, and without collisions
- Dynamics: differential constraints
  - velocity and torque limits
- Traditional **optimization** in robotics?
  - minimum time solutions

Canny, Donald, Reif and Xavier (1988-1993)

## Kinodynamic Planning

- For high-DOF robots (e.g., humanoids):
  - Finding any feasible solutions is challenging
  - Typically, such solutions are not optimal

#### **Example:**

- Rapidly-exploring Randomized Trees (RRTs)
  - Sequential process:
    - First, find feasible kinematic trajectories
    - Then, ensure differential constraints (adjust speed)

LaValle and Kuffner (1998-2001)

• (Agree on) simple definitions:

• What is success?

What are appropriate metrics?

How to accomplish these optimizations

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   Optimal = maximizing probability of success
- What is success?

- What are appropriate metrics?
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   Again, probability of success
- How to accomplish these optimizations
   Model low-level (Markov) transition probabilities

#### Why use such a broad goal...

- Success definitions vary (across applications):
  - Optimizing probability can encompass anything
- Other metrics are indirect / imprecise / vague
  - Example: a geometric "safety margin" is a proxy
  - In stochastic models, exact safety margins emerge

## Why use such a broad goal...

- Success definitions vary (across applications) :
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  - Example: a geometric "safety margin" is a proxy
  - In stochastic models, exact safety margins emerge
- Stochasticity and underactuation dominate

## Locomotion ←→ manipulation



## Locomotion ← manipulation

#### **Shared challenges**

Mechanical impedance:

$$Z(s) = \frac{F(s)}{V(s)}$$

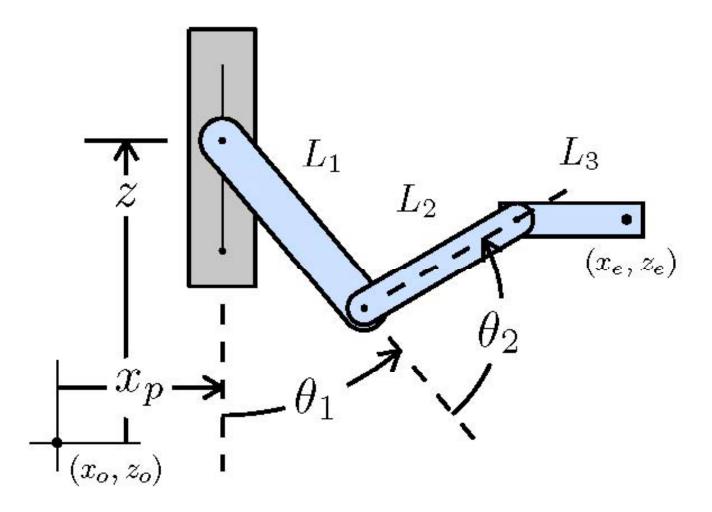
- stiff / compliant
  precise / adaptable ] Tradeoffs
- Significant uncertainty and noise
  - "mixing" effects cause perturbations to propagate
- Sensing the environment
  - Visual and tactile; geometry and impedance
- Contact / interactions difficult to model
  - Rolling, sliding, deformations

#### Motivation

Real humans sometimes fail:

Trip, fall, drop objects, bump into furniture... ...but usually recover.

Same performance expectations for robots
 A balance between risk and reward.



#### Two tasks:

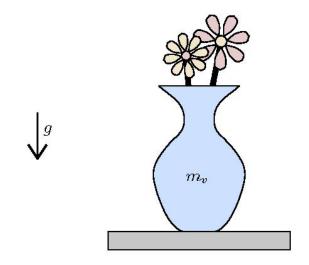
- 1. Move and replace vase
- 2. Lower shelf

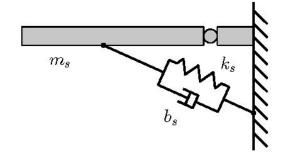
#### Assumed Known (for now):

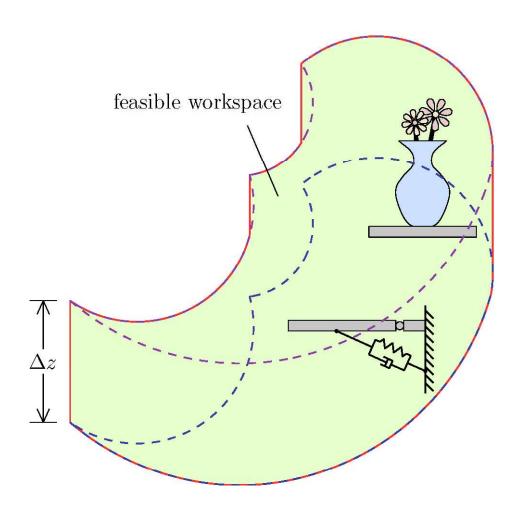
- Geometry
- Dynamics of shelf: spring-mass-damper (shelf impedance)

#### **Unknown:**

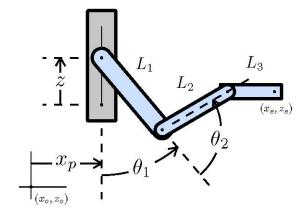
Mass of vase (vase impedance)

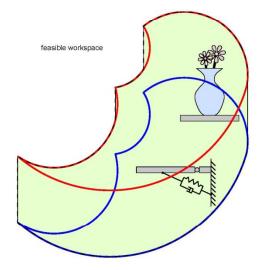




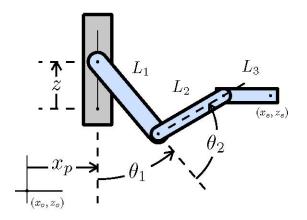


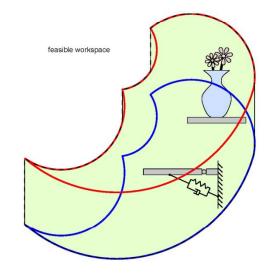
- Planner selects:
  - Initial body pose
  - Joint trajectories
  - Variable torso height



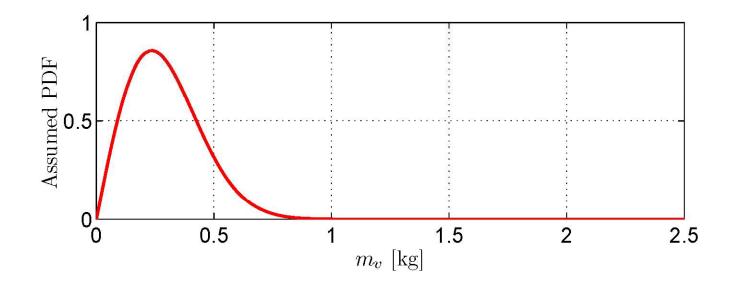


- Planner selects:
  - Initial body pose
  - Joint trajectories
  - Variable torso height
- No speed requirements
- Failure modes:
  - Insufficient forces
  - Infeasible kinematics



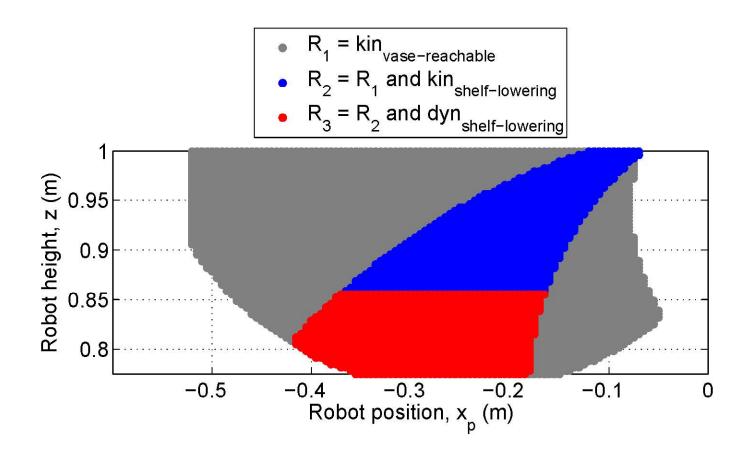


- Model variability in mass of vase
  - Probability density function (PDF)



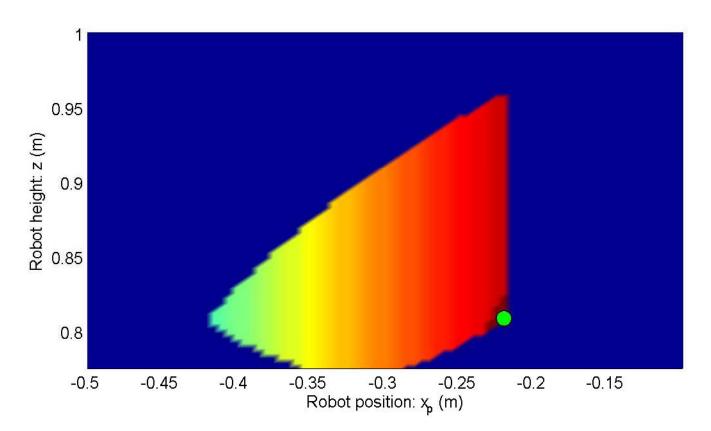
Feasible 2D poses for invariant kinodynamic constraints

• Considering only known properties : DETERMINISTIC feasibility



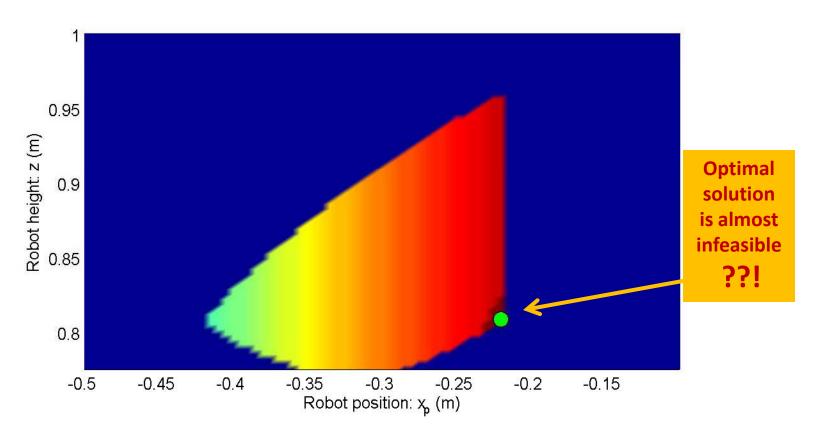
#### Kinematically feasible, with uncertainty in mass of vase

Plot show probability of success: STOCHASTIC feasibility

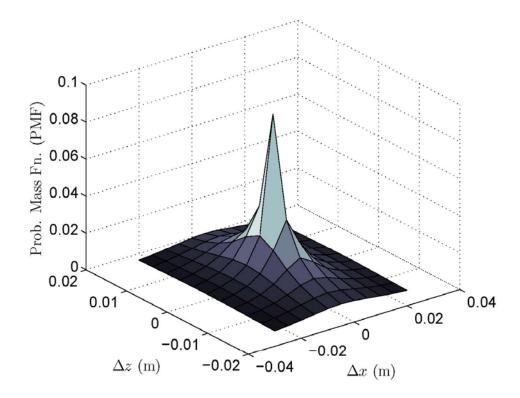


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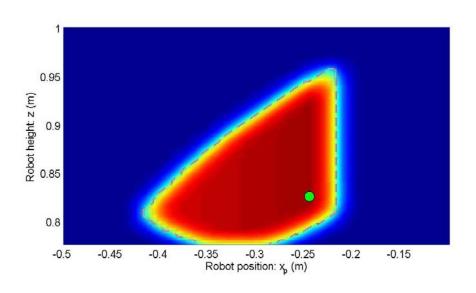
Plot show probability of success: STOCHASTIC feasibility



- Add some uncertainty in geometry, too
  - Here, uncertainty is in vase position



Safety margins now emerge (naturally)



0.95 (E) N 146 0.9 0.85 0.8 0.85 0.8 -0.5 -0.45 -0.4 -0.35 -0.3 -0.25 -0.2 -0.15 Robot position: X<sub>p</sub> (m)

At left: Color scale goes from 0 (blue) to near 100% (red).

At right: All poses with probability of success less that 80% are dark blue.

## Generalized Approach

#### Markov model:

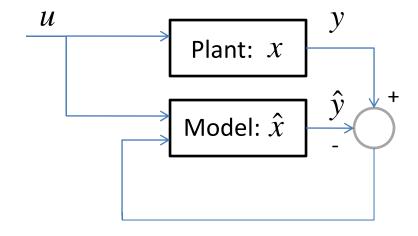
- Robot kinodynamics
- Environment

#### • Transition matrix:

- Depends on policy
- Time-to-failure metric (2<sup>nd</sup> eigenvalue)

#### Policy improvement:

- Improve low-level models
- Machine learning: iterate



As in much of control, differences between measured states, y, and expected states,  $\hat{y}$ , can be used (fed back) to update a model of the dynamics.

#### Potential Issues

- How sensitive are solutions to noise models?
  - For a particular task, overall probability varies
  - But resulting policy seems much less sensitive (?)
  - Relative magnitudes of uncertainty matter
- How do we estimate failure rates?
  - It may take too long to observe actual failures
  - Models must capture dominant failure modes

#### Brief aside: Service vs. Disservice

- The ultimate planning issues:
  - How will and should home robotics be used?
    - Planner capabilities must match applications
  - Toward enabling safe human-robot interaction
- What future applications are we enabling?
   Robots working with humans, not for them
  - Rehabilitation
  - Retuning sensory-motor capabilities
     (games and play with a purpose)

#### **Conclusions**

- Goal: Maximize probability of success
- Methods: Markov modeling
  - Include uncertainties in our modeled dynamics
  - Estimate and adjust transition probabilities online

#### **Discussion**

- A good approach? (What do humans optimize?)
- Why not? (Too challenging...)
- What are better alternatives???